

1.) Which function represents exponential decay?

- (A)  $y = 2^{0.3t}$       (B)  $y = 1.2^{3t}$       (C)  $y = \left(\frac{1}{3}\right)^{-t}$       (D)  $y = 5^{-t}$

2.) The student enrollment  $E$  of a high school was 1310 and has increased by 10% per year. Which exponential model represents the school's student enrollment in terms of  $t$ , where  $t$  is the number of years?

- (A)  $E = 0.1(1310)^t$       (B)  $E = 1.1(1310)^t$   
(C)  $E = 1310(0.1)^t$       (D)  $E = 1310(1.1)^t$

3.) The number of songs (in millions) sold by an online music store can be modeled by the equation:  $y = 100(1.08)^t$ , where  $t$  is in the **years**. Find the approximate model that represents the **monthly** percent increase in sales.

- (A)  $y = 100(1.0065)^{12t}$       (B)  $y = 100(1.0065)^t$   
(C)  $y = 100(1.08)^{12t}$       (D)  $y = 100(2.518)^t$

4.) A population of flies in a lab,  $p(x)$ , can be modeled by the function  $p(x) = 30(1.55)^x$ , where  $x$  represents the number of **days** since the population was first counted.

a. By what percent, did the fly population increase each day?

b. In terms of **hourly** rate growth, write an equation that represents the fly population.

c. By what percent, *to the nearest tenth*, did the fly population increase each hour?

5.) Researchers in a local area found the population of rabbits with an initial population of 20, grew exponentially at a rate of 8% per month. The fox population had an initial population of 30, and grew exponentially at a rate of 3% per month.

Find, *to the nearest tenth* of a month, how long it takes for these populations to be equal.

6.) The value,  $V$ , of an automobile after  $t$  years can be modeled by the function:  $V = 15,000(0.81)^t$ .

What is the percent of change each year for the automobile?

- (A) 11%      (B) 19%      (C) 81%      (D) 89%

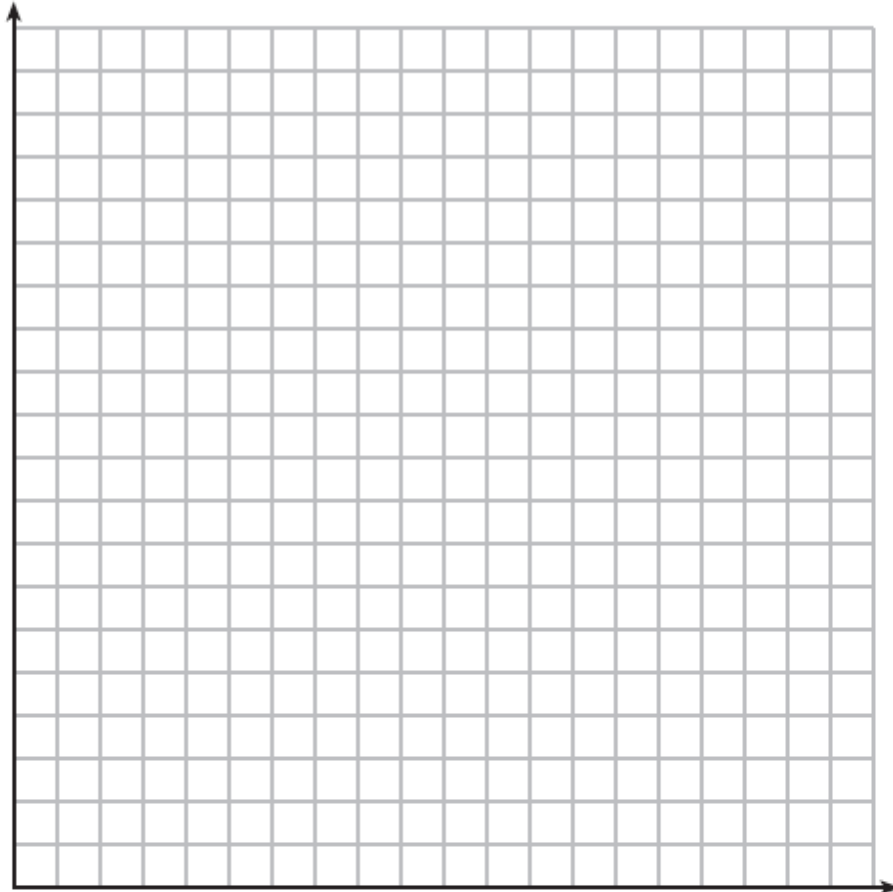
7.) A house purchased 6 years ago for \$150,000 was just sold for \$200,000.

Assuming exponential growth, approximate the annual growth rate, *to the nearest percent*.

8.) The value of a passenger car based on its use in years is modeled by  $V(t) = 28,000(0.65)^t$ , where  $V(t)$  is the value in dollars and  $t$  is the time in years.

Zach had to take out a loan to purchase the passenger car and is modeled by  $L(t) = 20,000(0.7)^t$ .

a. Graph  $V(t)$  and  $L(t)$  over the interval  $0 \leq t \leq 5$ , on the set of axes below.



b. State when  $V(t) = L(t)$ , *to the nearest hundredth*, and interpret its meaning in the context of the problem.